

Homework for Module 1

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Release date: November 12, 2014

Due date: November 19, 2014

General instructions: Attempt all questions. Submit your homework, in typeset form, via email to both the instructor and the TA before midnight on the due date. The L^AT_EX source for this homework will be provided to help you typeset. You can also typeset using any other means, including simple ASCII.

Problem 1-1 (5 points)

Consider executions over the alphabet $\{a, b, c\}$. Which of the following are safety properties? For each safety property, construct a corresponding security automata as defined by Schneider on page 36 of the paper “Enforceable Security Policies”. You may present your automata in either of the two forms illustrated in Fig. 1 and Fig. 2 of Schneider’s paper.

1. c never occurs after a and c never occurs after b .
2. Every a is followed immediately by a b .
3. Every a is followed by a b (not necessarily immediately).
4. Every a is followed by a b within the next 7 steps.
5. In every prefix of the execution, the number of c ’s is less than the total number of a ’s and b ’s.

Problem 1-2 (5 points)

Recall Schneider’s quote about Lamport’s characterization of safety properties.

A property Γ is defined in Lamport [1985] to be a safety property if and only if, for any finite or infinite execution σ , $\sigma \notin \Gamma \Rightarrow (\exists i. (\forall \tau \in \Psi : \sigma[..i]\tau \notin \Gamma))$.

Assume that this quote is the definition of a safety property. Prove that the following statement is an alternative characterization of every safety property Γ (that is, the statement above holds if and only if the statement below holds).

There is a set S of *finite* executions such that for any finite or infinite execution σ , $\sigma \notin \Gamma$ if and only if $\sigma = \tau_1\tau_2$ for some $\tau_1 \in S$ and $\tau_2 \in \Psi$.

Problem 1-3 (5 points)

For each property of Problem 1-1 that is actually a safety property, construct a suitable set S that satisfies the characterization of Problem 1-2.